



ARTIFICIAL INTELLIGENCE LAB 03 - SEARCHING PROBLEMS (1)

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2024/2025

You don't need to memorize what will be mentioned.
Instead, try to understand

GUIDELINES

Each PowerPoint
Presentation will be available as PDF file on Google Drive Folder of the Course

REMEMBER!

In our course, we are targeting Goal-based agent in fully observable, deterministic and discrete environments

Which means, all of our problems will be in the form of **states** that shows all possible forms of the environment

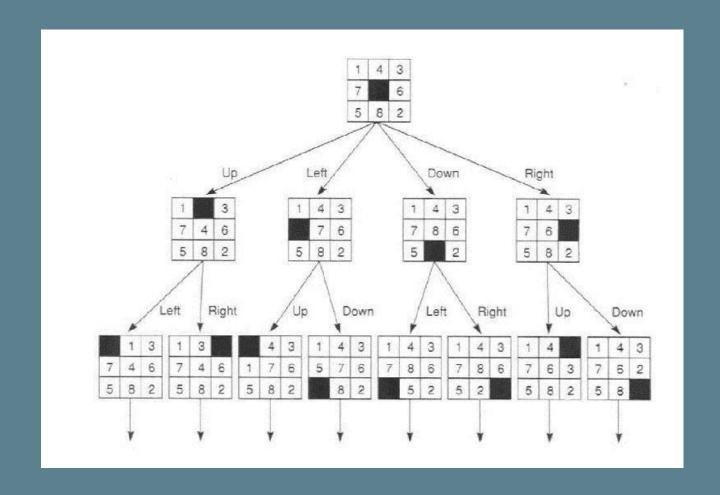


STATE SEARCH SPACE



STATE SEARCH SPACE

state search space is the collection of all possible states a system can be in while searching for a solution to a given problem.



KEY ASPECTS OF "STATE SEARCH SPACE"

States

Initial State

Goal State

Operators

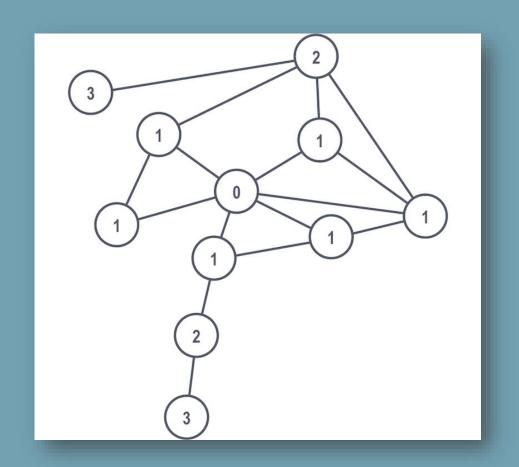
Space Graph Search Path

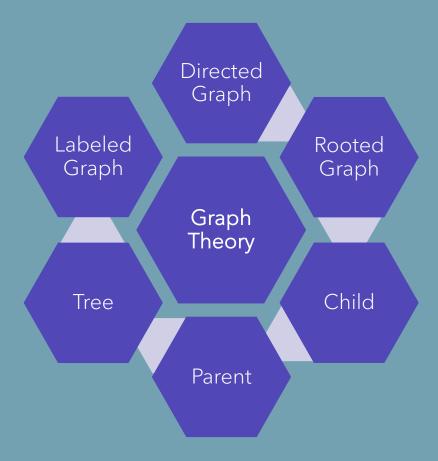
Optimal Solution

Strategy

(1) SPACE GRAPH

• A representation of all possible states and transitions between them.





(1) SEARCH GRAPH

What is "Graph"?

- A **graph** is a data structure used to represent relationships between objects. It consists of:
 - 1. Nodes (Vertices, V) \rightarrow Represent objects or states.
 - 2. Edges (E) \rightarrow Represent connections or relationships between nodes.

Directed Graph

Undirected Graph Weighted Graph Unweighted Graph

Cyclic Graph

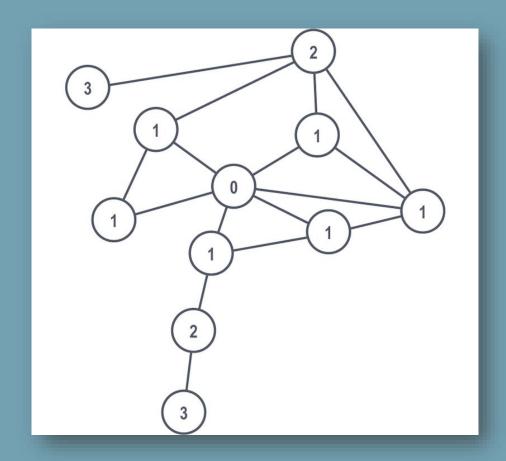
Acyclic Graph

Connected Graph

Disconnected Graph

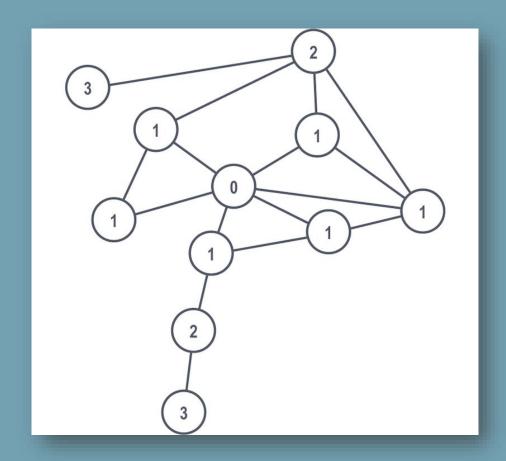
(2) STATES

• Each unique configuration of the system is called a state.



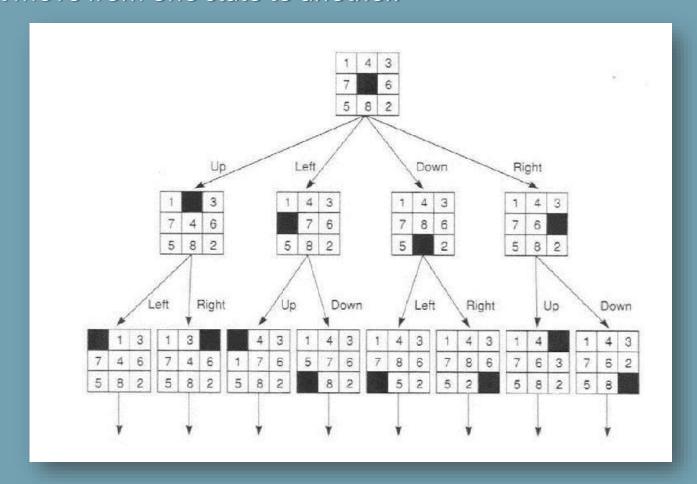
(3) INITIAL STATE

• The starting point in the search process.



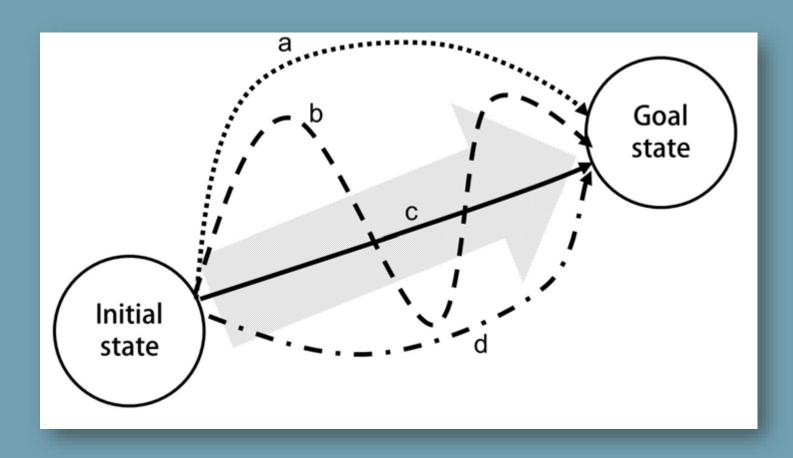
(4) OPERATORS (STATE TRANSITIONS)

• Actions that move from one state to another.



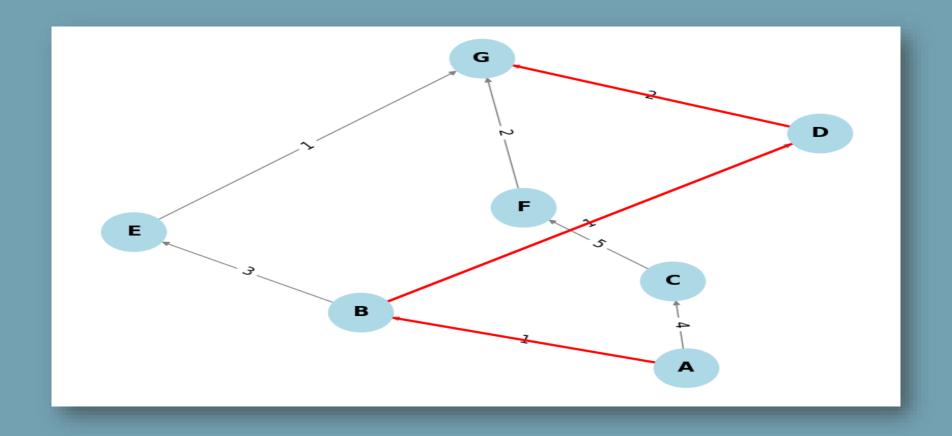
(5) GOAL STATE

• The state that meets the problem's success conditions.

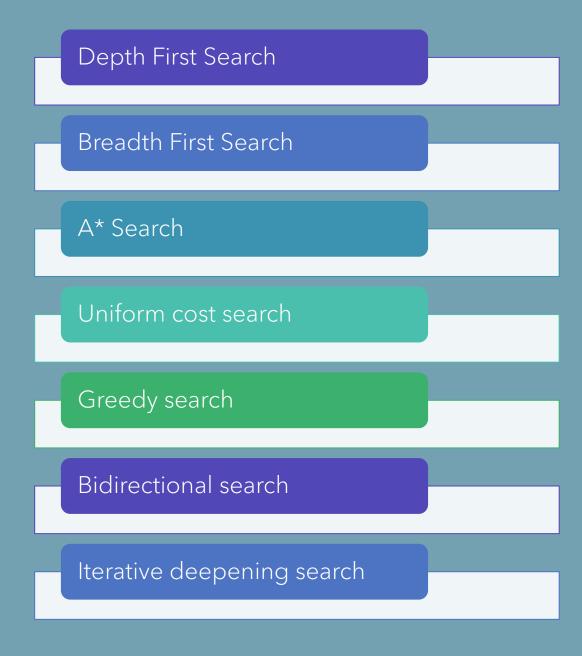


(6) SEARCH PATH

• The sequence of states from the initial state to the goal state.



(7) SEARCH STRATEGY



(8) OPTIMAL SOLUTION PATH

• The best sequence of actions that leads to the goal state efficiently.



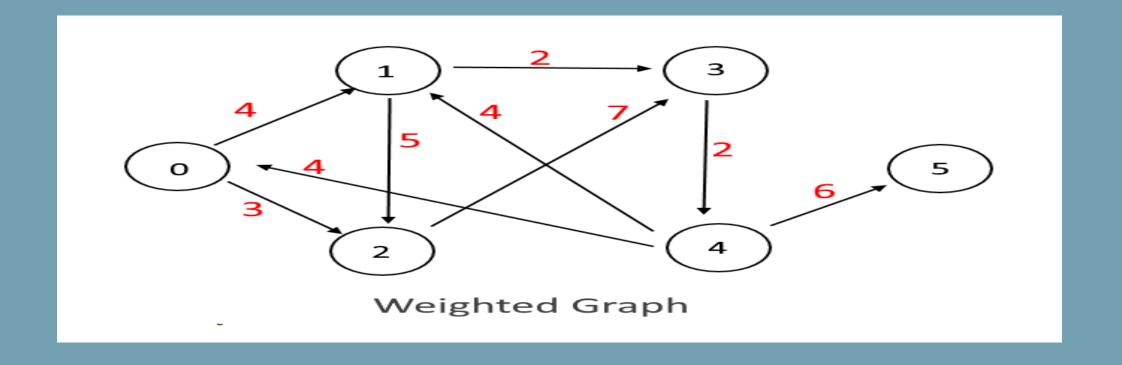
How to measure the performance "Optimality"?

1- Reaching the goal

2- How "expensive" that path to the goal is

(9) ADDITIONAL: PATH COST

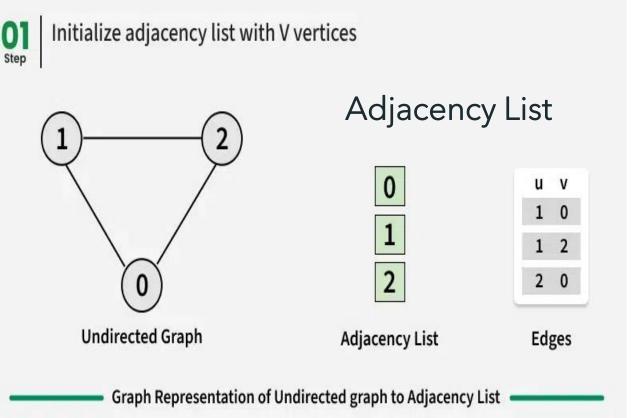
- Path Cost refers to the total weight or cost of a path between two nodes in a graph.
- For the solution path, the total cost is the sum of edge weights along a specific path.

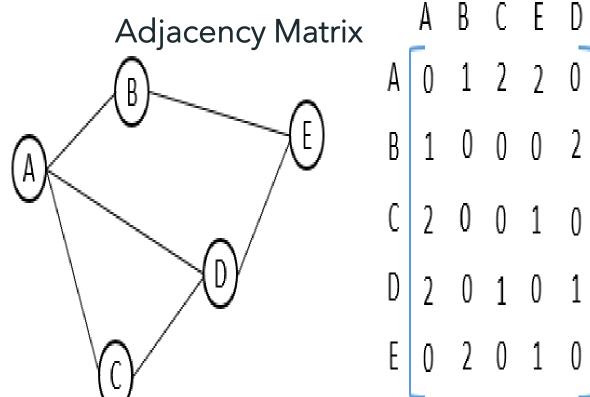


GRAPH REPRESENTATIONS

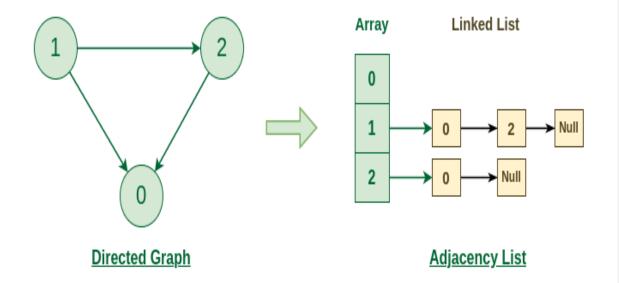


UNDIRECTED GRAPH





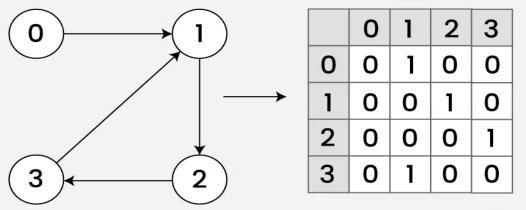
DIRECTED GRAPH



Graph Representation of Directed graph to Adjacency List



Adjacency Matrix for Directed and Unweighted graph



Adjacency Matrix A[]

TREES



Tree Data Structure Root ∠Key Edge Level 0 Parent Level 1 В Subtree Child Height of Level 2 Е G the tree Siblings H Level3 Level 4 ·K M ·N· P··· **Leaf Nodes**

TREES

Special Type of graphs!

TREE TRAVERSING

• Tree traversal refers to the process of visiting each node in a tree systematically. It is essential for searching, sorting, and processing data in tree-based structures.

Pre-order Root-L-R

In-order L-Root-R

Post-order L-R-Root

TREE TRAVERSING

• Tree traversal refers to the process of visiting each node in a tree systematically. It is essential for searching, sorting, and processing data in tree-based structures.

Pre-order Root-L-R

In-order L-Root-R

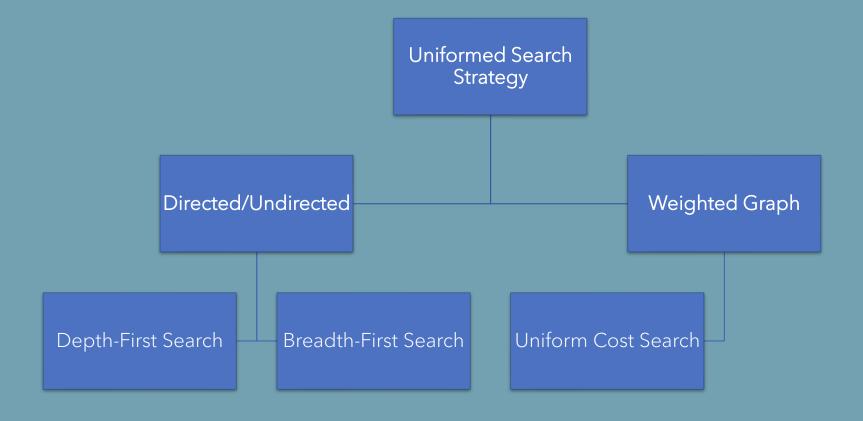
Post-order L-R-Root

HOW TO SEARCH? (SEARCH STRATEGY)



UNIFORMED SEARCH

• Uniformed Search (Blind Search): a type of search algorithm used in artificial intelligence to explore a problem space without any additional information about the <u>state</u> to reach it.



BASIC SEARCH



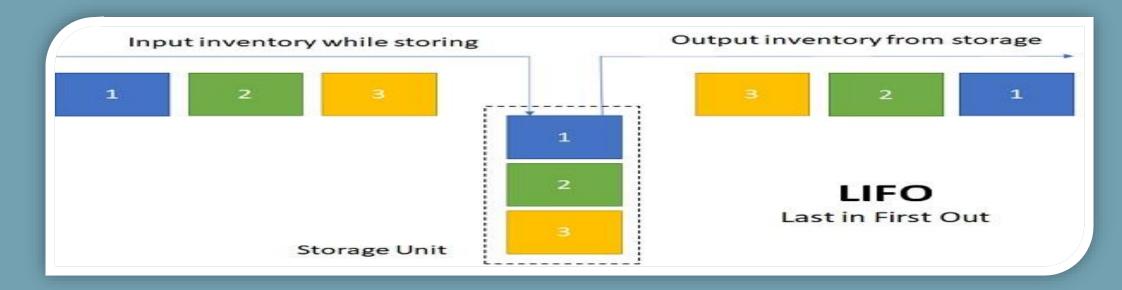
- Initialize an empty list and put the initial state in it
- 2. Take the first state in the list as the current if it is not visited yet otherwise skip it, and remove it from the list
- 3. Check if the current is the goal state, if it is, then terminate the search and return the solution path
- 4. Otherwise, expand the current of its successors, and add them into the list using a queuing function
- 5. Repeat from (2) to (4)
- 6. If the current becomes empty, then there is no solution and return "fail"

Don't Worry! The only difference between all strategies is the queuing function

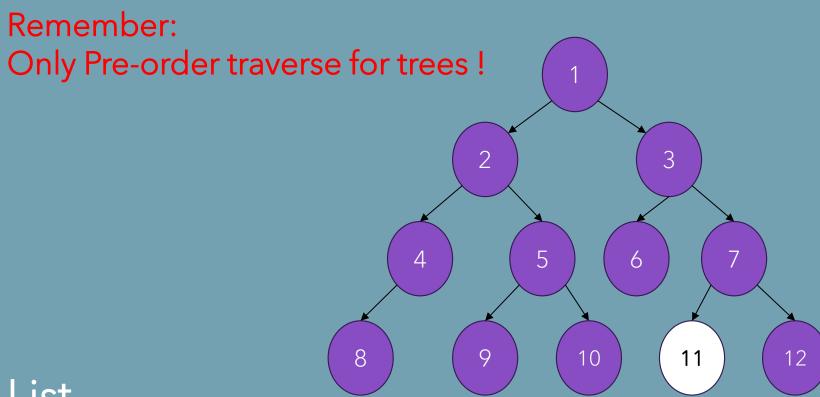
DEPTH-FIRST SEARCH (العمق أولاً)

LIFO Function

LIFO (Last In, First Out) is a data access principle where the last element added is the first one to be removed.

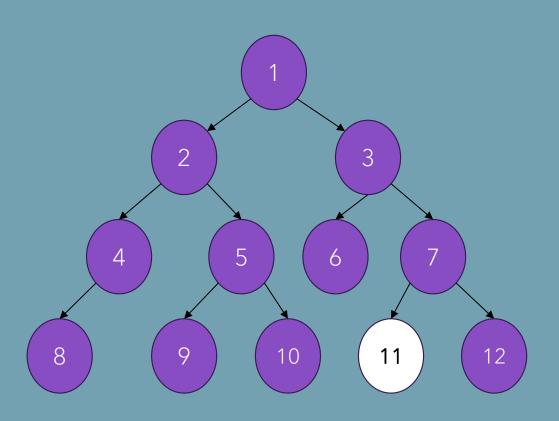


Goal: 11



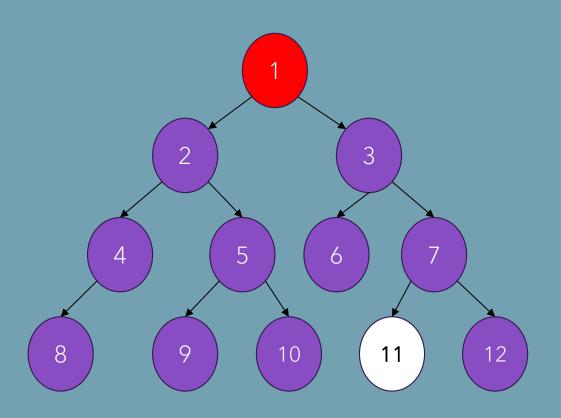
List

Goal: 11



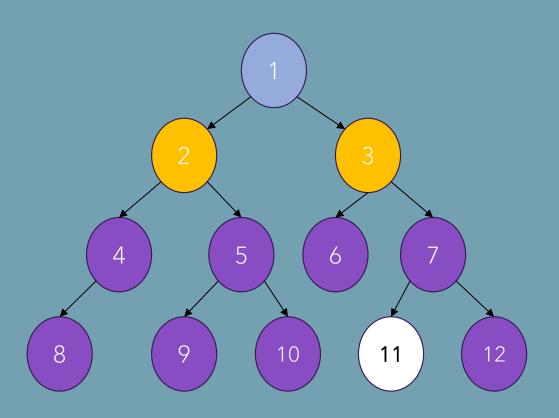
List

Goal: 11



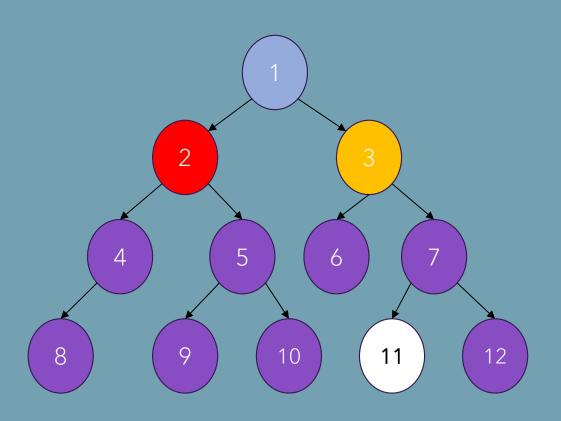
List

Goal: 11



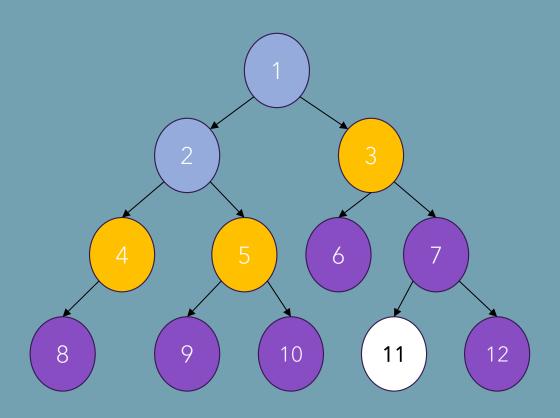
List

Goal: 11



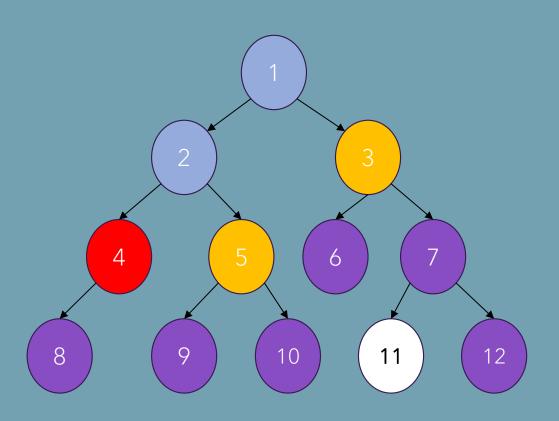
List

Goal: 11



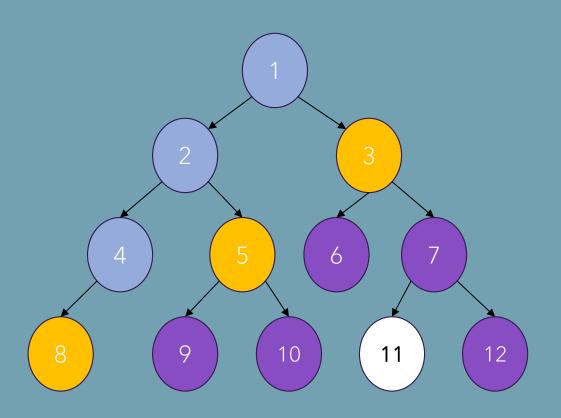
List

Goal: 11



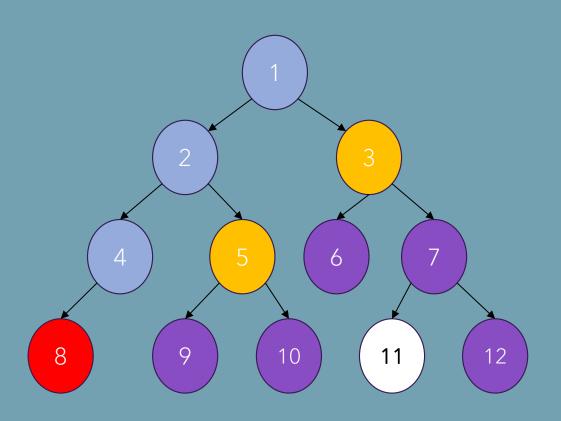
List

Goal: 11



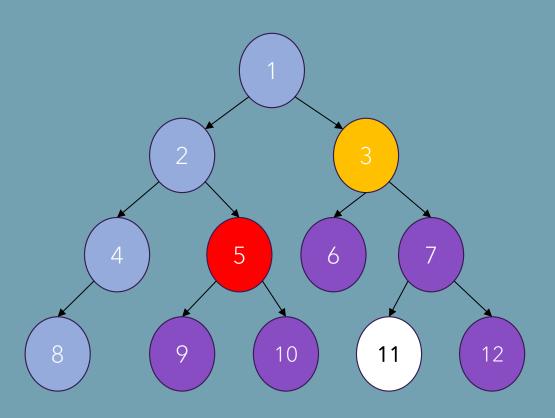
List

Goal: 11



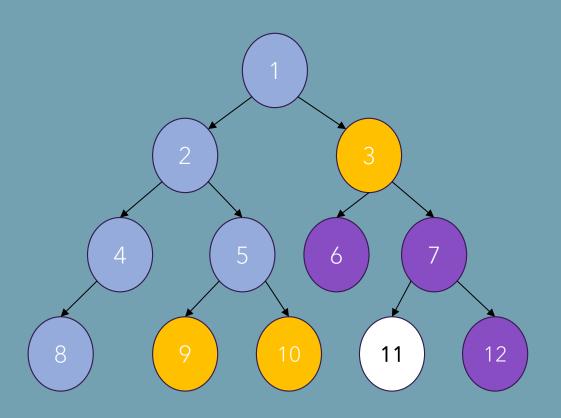
List

Goal: 11



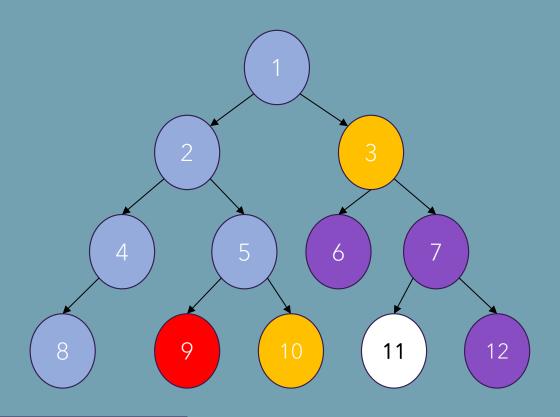
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Goal: 11



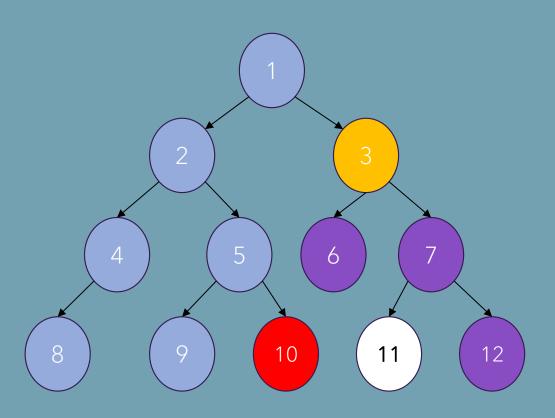
List

Goal: 11



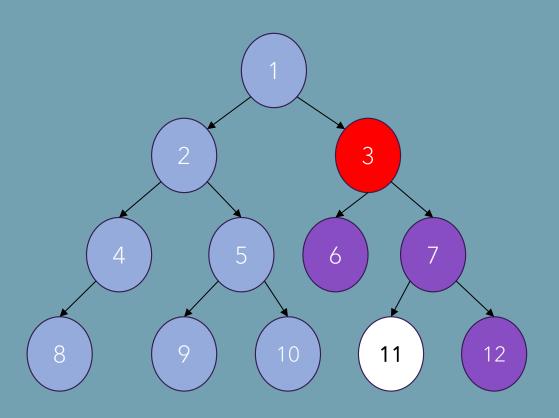
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Goal: 11



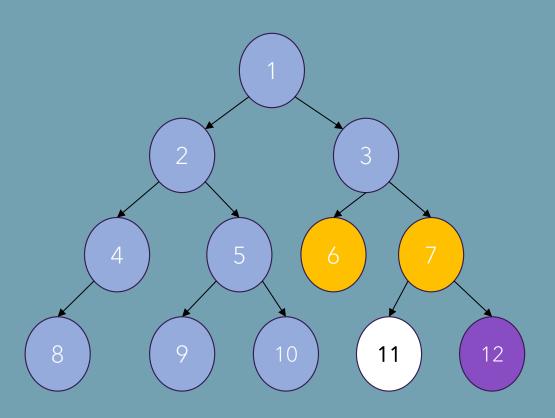
List

Goal: 11



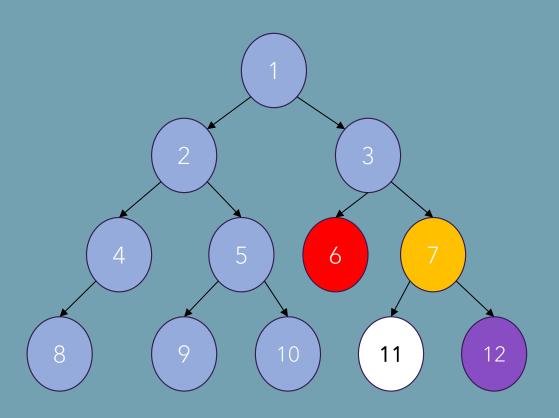
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Goal: 11



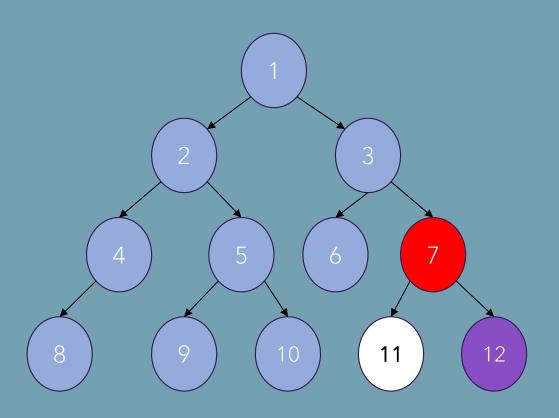
List

Goal: 11



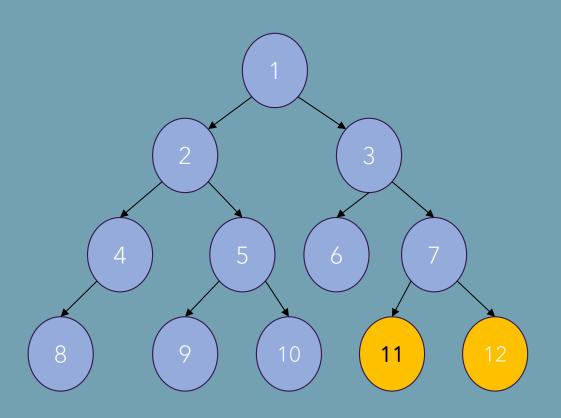
List

Goal: 11



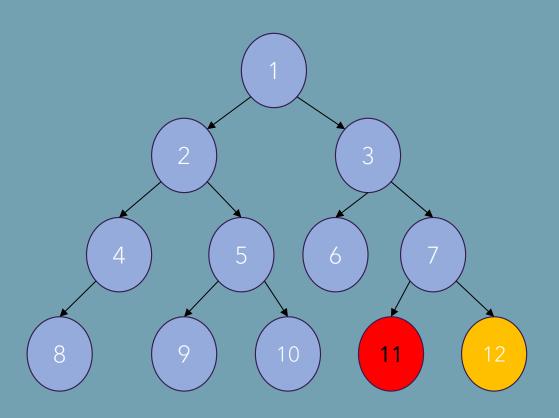
List

Goal: 11

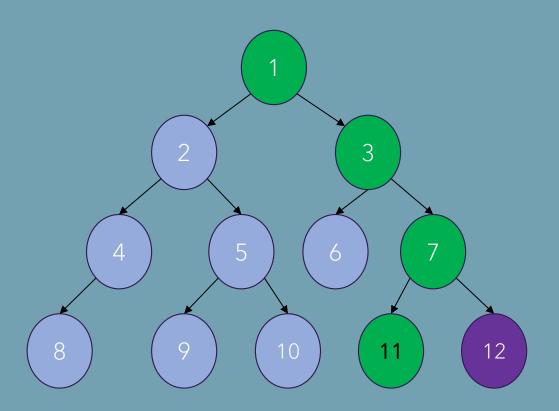


List

Goal: 11

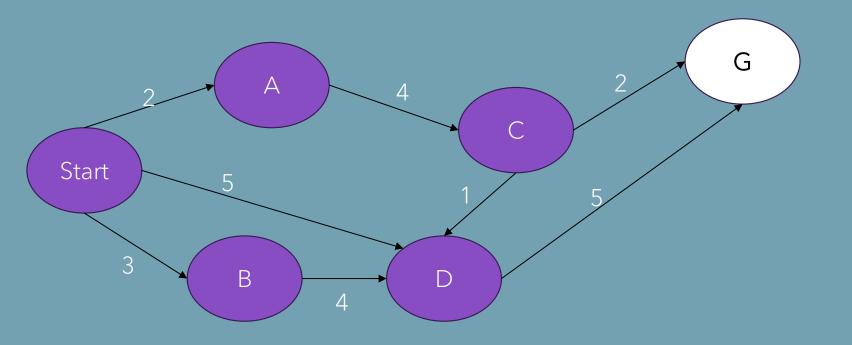


List



Solution: [1, 3, 7, 11] - Visited: [1,2,4,8,5,9,10,3,6,7,11]

DEPTH-FIRST SEARCH (GRAPH)



Current	LIFO > TOP		
	[S]		
[S]	[S, A], [S, B], [S, D]		
[S, D]	[S, A], [S , B] , [S, D, G]		
[S, D, G]	[S, A], [S, B]		

In graphs, Sort alphabetically each expansion only for unified answer for all students!

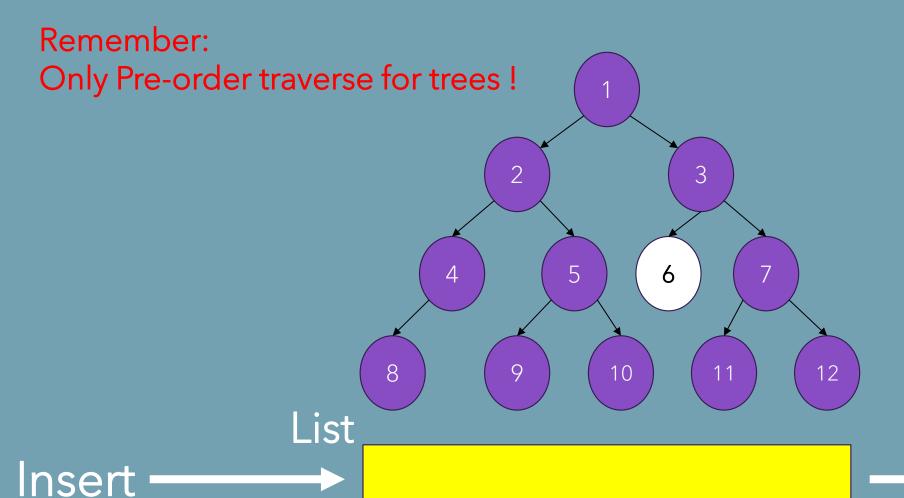
BREADTH-FIRST SEARCH (الاتساع بالعرض أولاً)

FIFO Function

FIFO (First In, First Out) is a data access principle where the first element added is the first one to be removed.

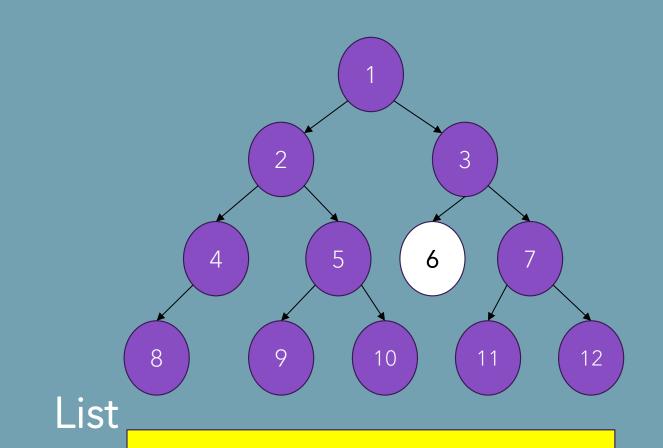






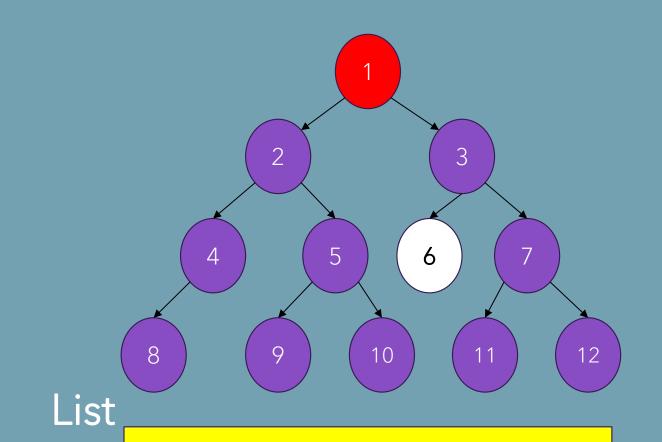
Insert ·

Goal: 6



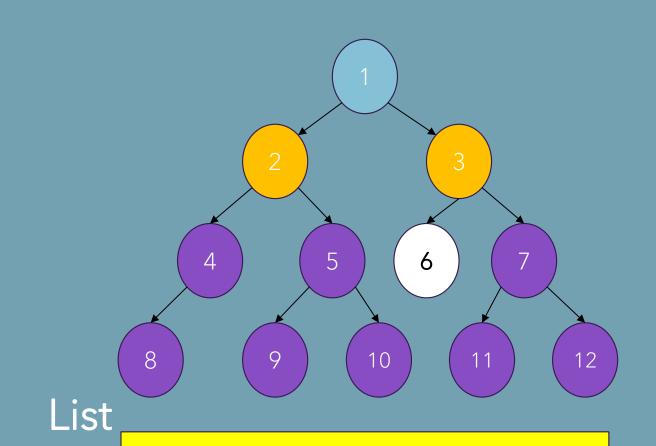
Insert ·

Goal: 6



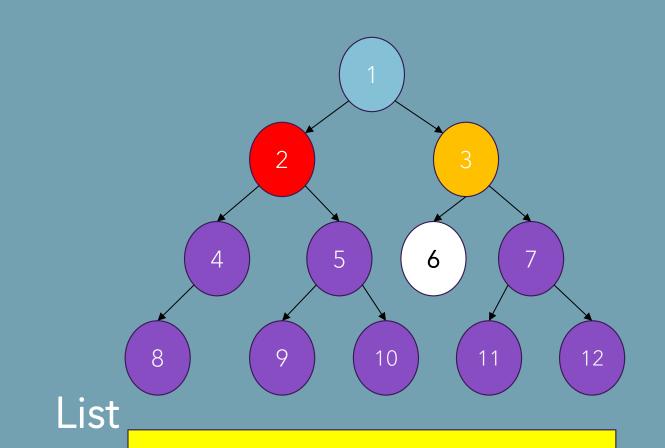
Insert ·

Goal: 6



Insert ·

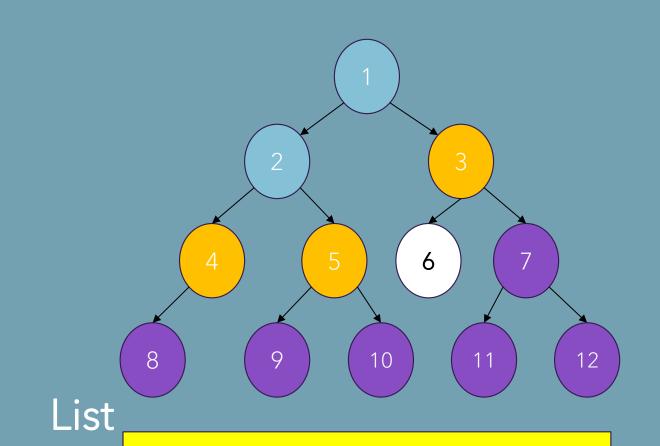
Goal: 6



3

Insert •

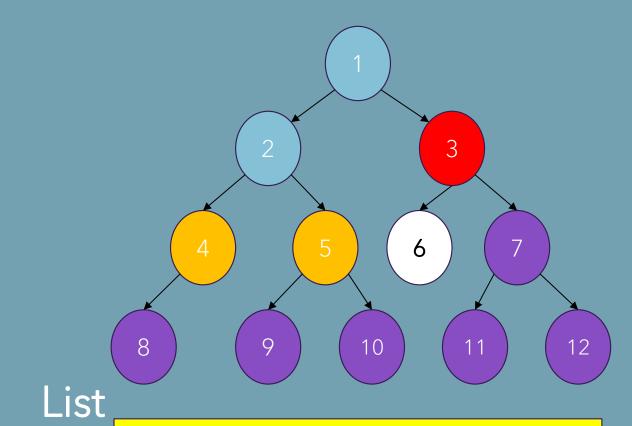
Goal: 6



5,4,3

Insert ·

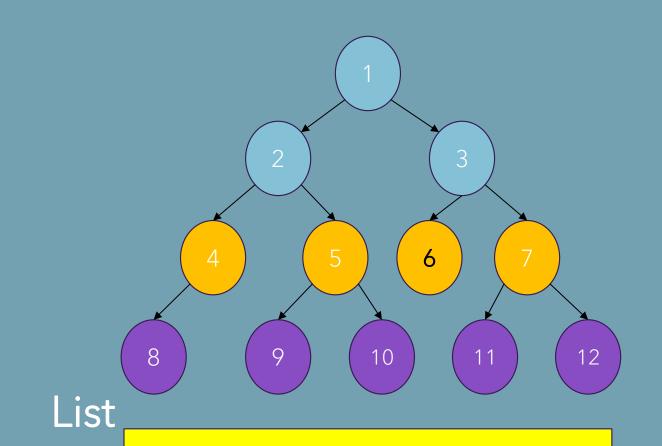
Goal: 6



5,4

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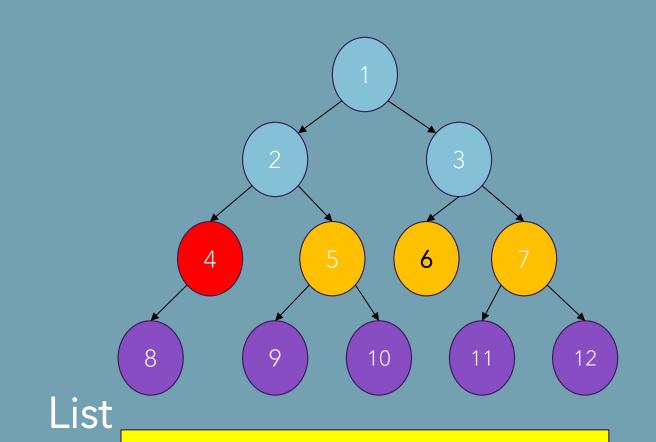
Goal: 6



7,6,5,4

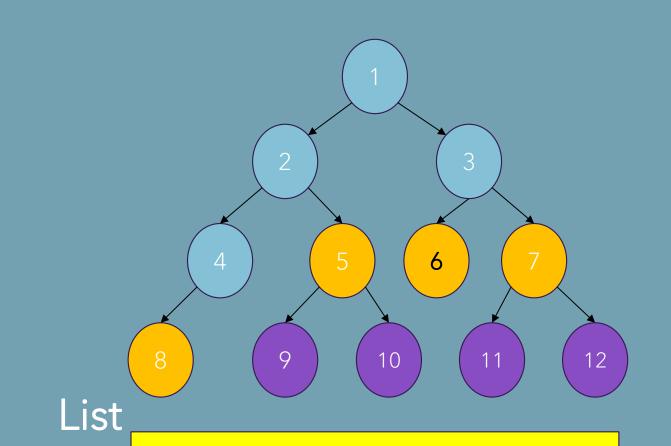
Insert ·

Goal: 6



Insert ·

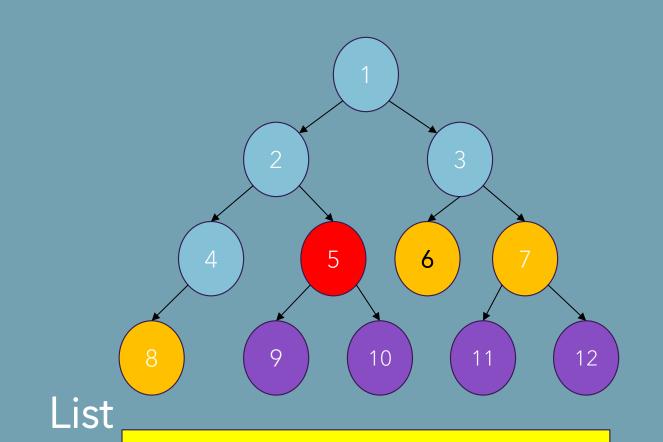
Goal: 6



8,7,6,5

Insert ·

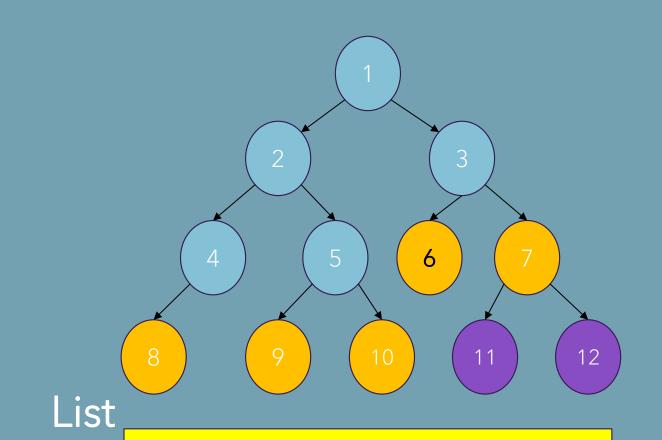
Goal: 6



8,7,6

Insert ·

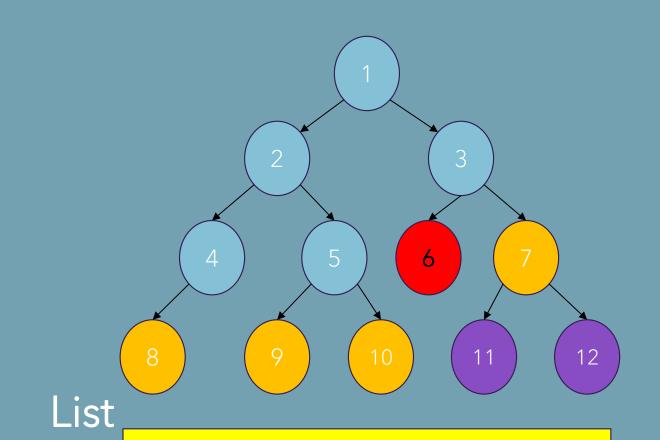
Goal: 6



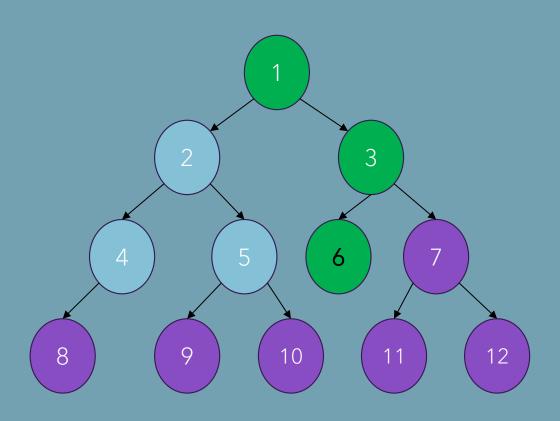
10,9,8,7,6

Insert ·

Goal: 6

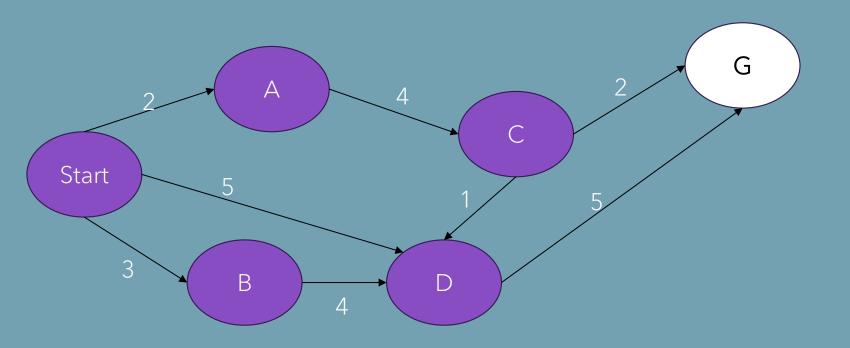


Goal: 6



Solution: [1, 3, 6] - Visited [1, 2, 3, 4, 5, 6]

BREADTH-FIRST SEARCH (GRAPH)



Current	FIFO FRONT < > REAR		
	[S]		
[S]	[S,A],[S,B],[S,D]		
[S, A]	[S,B],[S,D],[S,A,C]		
[S, B]	[S,D], [S,A,C], [S,B,D]		
[S,D]	[S,A,C], [S,B,D], [S,D,G]		
[S,A,C]	[S,B,D], [S,D,G], [S,A,C,D], [S,A,C,G]		
[S,D,G]			

In graphs, Sort alphabetically each expansion only for unified answer for all students!

DFS VS. BFS

DFS		BFS	
Current	LIFO > TOP	Current	FIFO FRONT < > REAR
	[S]		[S]
	[-]	[S]	[S,A],[S,B],[S,D]
[S]	[S,A],[S,B],[S,D]	[S, A]	[S,B],[S,D],[S,A,C]
[S, D]	[S,A],[S,B],[S,D,G]	[S, B]	[S,D], [S,A,C], [S,B,D]
[S, D, G]	Actual Cost: 10 Sol. Steps: 3	[S,D]	[S,A,C], [S,B,D], [S,D,G]
		[S,A,C]	[S,B,D], [S,D,G], [S,A,C,D], [S,A,C,G]
		[S,D,G]	Actual Cost: 10 Sol. Steps: 6

IMPLEMENTATION



GRAPH CLASS (ADJACENCY LIST REP.)

```
class Graph:
   def init (self, root=None, weighted=None, directed=None):
       # Adjacency list representation
       if root:
           self. graph = {root:[]}
       else:
           self. graph = {"root":[]}
       self. weighted = weighted
       if weighted == True:
           self. weighted = weighted
       elif self. weighted != None:
           raise Exception("weighted parameter should be True or None")
       self. directed = False
       if directed == True:
           self. directed = directed
       elif self. directed == None:
           raise Exception("directed parameter should be True or None")
       print(f"Graph is created with root name: {list(self.__graph.keys())[0]}")
```

GRAPH CLASS (ADD VERTICES METHOD)

```
def add vertex(self, vertex):
    if vertex not in self. graph.keys():
        self. graph[vertex] = []
        print("Vertex is added successfully !")
    else:
        print("This vertex does exist in the graph already !")
```

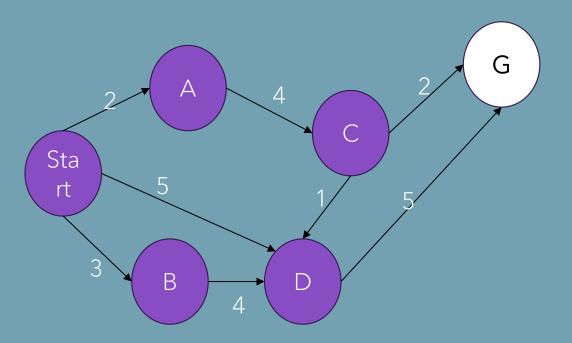
GRAPH CLASS (ADD EDGES METHOD)

```
def add edge(self, vertex 1, vertex 2, weight=None):
    if vertex 1 in self. graph.keys() and vertex 2 in self. graph.keys():
        if not self. directed:
            if not self. weighted:
                self. graph[vertex 1].append(vertex 2)
                self. graph[vertex 2].append(vertex 1)
            else:
                if weight != None:
                    self.__graph[vertex_1].append((vertex 2, weight))
                    self. graph[vertex 2].append((vertex 1, weight))
                else:
                    raise Exception("It should be a weight for the edge")
        else:
            if not self. weighted:
                self. graph[vertex 1].append(vertex 2)
            else:
                if weight != None:
                    self. graph[vertex 1].append((vertex 2, weight))
                else:
                    raise Exception("It should be a weight for the edge")
    else:
        raise Exception("It should be both vertices exist in the graph !")
    print(f"Edge added between {vertex 1} and {vertex 2}")
```

GRAPH CLASS (GET GRAPH METHOD)

```
def get_graph(self):
return self.__graph
```

FORMULATE THE PROBLEM



```
my_graph = Graph("S", directed=True, weighted=True)
my_graph.add_vertex("A")
my graph.add vertex("B")
my_graph.add_vertex("C")
my_graph.add_vertex("D")
my_graph.add_vertex("G")
my_graph.add_edge("S","B", 3)
my_graph.add_edge("S","A", 2)
my_graph.add_edge("S","D", 5)
my_graph.add_edge("A","C", 4)
my_graph.add_edge("C","G", 2)
my_graph.add_edge("C","D", 1)
my graph.add_edge("B","D", 4)
my_graph.add_edge("D","G", 5)
print(my_graph.get_graph())
Graph is created with root name: S
Vertex is added successfully !
Edge added between S and B
Edge added between S and A
Edge added between S and D
Edge added between A and C
Edge added between C and G
Edge added between C and D
Edge added between B and D
Edge added between D and G
{'S': [('B', 3), ('A', 2), ('D', 5)], 'A': [('C', 4)], 'B': [('D', 4)], 'C': [('G', 2), ('D', 1)], 'D': [('G', 5)], 'G': []}
```

GRAPH CLASS (DFS METHOD)

```
lef DFS(self, goal, start=None):
  if start != None:
       lst = [[start]]
  else:
       lst = [["root"]]
  visited = []
   while 1st:
       current_path = lst.pop() # LIFO
       current_node = current_path[-1]
       if current_node in visited:
           continue
       visited.append(current_node)
       if current_node == goal:
           return current_path, visited
       else:
          # Sorting in ascending order to follow "LIFO" principle !
           adjacent_nodes = self.__graph[current_node]
           adjacent_nodes.sort()
          if self._weighted:
               for node, _ in adjacent_nodes:
                   new_path = current_path.copy()
                   new_path.append(node)
                   1st.append(new_path)
           else:
               for node in adjacent_nodes:
                   new_path = current_path.copy()
                   new_path.append(node)
                   1st.append(new_path)
   raise Exception("Search Failed !")
```

BASIC SEARCH



- 1. Initialize an **empty list** and put the **initial state** in it
- 2. Take the first state in the **list as the current if it is**not visited yet otherwise skip it, and remove it from the list
- Check if the current is the goal state, if it is, then terminate the search and return the solution path
- Otherwise, expand the current of its successors, and add them into the list using a queuing function
- 5. Repeat from (2) to (4)
- 6. If the current becomes empty, then there is no solution and **return "fail"**

GRAPH CLASS (BFS METHOD)

```
def BFS(self, goal, start=None):
   if start != None:
       lst = [[start]]
   else:
       lst = [["root"]]
   visited = []
   while 1st:
       current_path = lst.pop(0) # FIFO
       current_node = current_path[-1]
       if current_node in visited:
       visited.append(current_node)
       if current_node == goal:
           return current_path, visited
       else:
           adjacent nodes = self. graph[current node]
           adjacent_nodes.sort()
           if self. weighted:
               for node, _ in adjacent_nodes:
                    new_path = current_path.copy()
                    new_path.append(node)
                   1st.append(new_path)
               for node in adjacent_nodes:
                    new_path = current_path.copy()
                    new_path.append(node)
                   lst.append(new_path)
   raise Exception("Search Failed !")
```

BASIC SEARCH



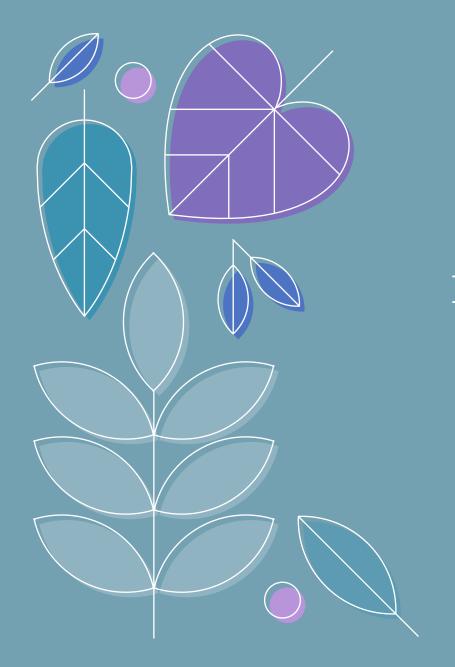
- 1. Initialize an **empty list** and put the **initial state** in it
- 2. Take the first state in the **list as the current if it is**not visited yet otherwise skip it, and remove it from the list
- Check if the current is the goal state, if it is, then terminate the search and return the solution path
- Otherwise, expand the current of its successors, and add them into the list using a queuing function
- 5. Repeat from (2) to (4)
- 6. If the current becomes empty, then there is no solution and **return "fail"**

TESTING

```
[3]: print(my_graph.DFS('G', start='S'))
print(my_graph.BFS('G', start='S'))

(['S', 'D', 'G'], ['S', 'D', 'G'])
(['S', 'D', 'G'], ['S', 'A', 'B', 'D', 'C', 'G'])
```

DFS		BFS	
Current	LIFO > TOP	Current	FIFO FRONT <> REAR
	[S]		[5]
	1-3	[5]	[S,A], [S,B], [S,D]
[S]	[S,A], [S,B], [S,D]	[S, A]	[S,B],[S,D],[S,A,C]
[S, D]	[S,A] , [S,B] , [S,D, G]	[S, B]	[S,D], [S,A,C], [S,B,D]
[S, D, G]	Actual Cost: 10 Sol. Steps: 3	[5,D]	[S,A,C], [S,B,D], [S,D,G]
		[S,A,C]	[S,B,D], [S,D,G], [S,A,C,D], [S,A,C,G]
		[S,D,G]	Actual Cost: 10 Sol. Steps: 6



NEXT LAB: SEARCHING PROBLEMS (2)

Thank you

